

Explanation of Faraday's Experiment  
by the Time-Space Model of Wave Propagation

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## ABSTRACT

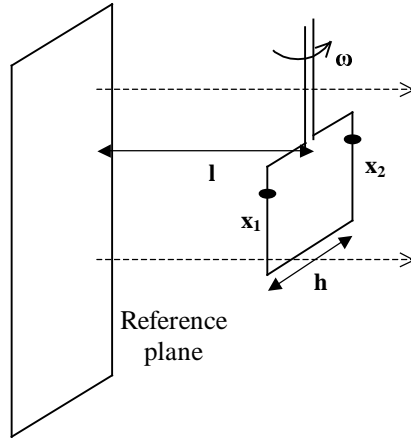
It is shown by the means of Time-Space Model of Wave Propagation the underlying phenomena of the alternating current's origin in famous Faraday's experiment.

*Keywords:* Electromagnetism, Wave Equation

The Time-Space Model of Wave Propagation is applied to the description of fluctuation phenomena both in physics and in economics [1, 2, 3].

In this paper the Model is applied to the Faraday's experiment of rotating a rectangular conducting loop in a magnetic field [4].

Magnetic field represents the energy's level in the Model terminology. We choose two points on the opposite sides of a loop (see **Fig. 1**) and calculate the induced values of energy's disturbances.



**Fig. 1**

Some other values are also shown on **Fig. 1** as side  $h$  of the loop, distance  $l$  from loop's center to the "reference plane", which is perpendicular to the energy's level gradient changes, and an angular speed  $\omega$  of loop's rotation.

Then the distances from  $x_1$  and  $x_2$  to the reference plane are

$$x_i = l + \frac{h}{2} \sin(\omega t + \varphi_i), \quad (1)$$

where  $i = 1, 2$  and  $\varphi_i$  are the initial phases,  $\varphi_2 = \varphi_1 + \pi$ .

I suppose that the energy's values in both points  $x_1$  and  $x_2$  are equal,

$$U(x_1, t) = U(x_2, t) \quad (2)$$

for  $\forall t$ .

I also assume that the energy's level at the reference plane is equal everywhere  $\Phi(0, t)$  and is distinct from the energy's level at rest  $\Phi_0$  on some value  $\Delta\Phi_0$  i.e.

$$\Phi(0, t) = \Phi_0 + \Delta\Phi_0. \quad (3)$$

Therefore we can calculate the energy's levels in points  $x_1$  and  $x_2$  using [1],

$$\Phi(x_i, t) = \Phi_0 + \Delta\Phi_0 \cdot e^{-\mu x_i}, \quad (4)$$

where  $\mu > 0$  is some constant.

Thus the energy's disturbances at points  $x_1$  and  $x_2$  are

$$\Delta U(x_i, t) = \Delta\Phi_0 \cdot e^{-\mu x_i}. \quad (5)$$

We can find the difference between the values of energy's disturbances in points  $x_1$  and  $x_2$  respectively,

$$\Delta U(x_1, t) - \Delta U(x_2, t) = 2 \cdot \Delta\Phi_0 \cdot e^{-\mu l} \sinh\left(-\mu \frac{h}{2} \sin(\omega t + \varphi_1)\right). \quad (6)$$

Changing in time difference between values of the energy's disturbances causes the energy's disturbance propagation, which is manifested in the form of alternating current in the loop.

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